

Punktwolkenrotation

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September 26, 2014, file: spin3R.rev

Die in diesen Abschnitt definierte Funktion ermöglicht dem Anwender eine Punktwolke interaktiv zu drehen und zu betrachten.

```
1 <start 1> ≡
  <definiere spin3R 3>

2 <definiere Hilfe von spin3R 2> ≡
  \name{spin3R}
  \alias{spin3R}
  \title{ spin3R }
  \description{
    Simple spin function to rotate and to inspect
    a 3-dimensional cloud of points
  }
  \usage{
    spin3R(x, alpha = 1, delay = 0.015, na.rm=FALSE)
  }
  \arguments{
    \item{x}{ \code{(nx3)}-matrix of points }
    \item{alpha}{ angle between successive projections }
    \item{delay}{ delay in seconds between two plots }
    \item{na.rm}{ if TRUE 'NA' values are removed otherwise exchanged by mean}
  }
  \details{
    \code{spin3R} computes two-dimensional projections
    of \code{(nx3)}-matrix \code{x} and plots them
    on the graphics device. The cloud of points is rotated
    step by step. The rotation is defined by a tcl/tk control
    widget. \code{spin3R} requires tcl/tk package of R.
  }
  \references{
    Cleveland, W. S. / McGill, M. E. (1988): Dynamic Graphics
    for Statistics. Wadsworth & Brooks/Cole, Belmont, California.
  }
  \author{ Peter Wolf }
  \note{ version 01/2003 }
  \seealso{ \code{spin} of S-Plus }
  \examples{
    xyz<-matrix(rnorm(300),100,3)
    # now start:      spin3R(xyz)
  }
  \keyword{misc}

3 <definiere spin3R 3> ≡  C 1
  spin3R <- function(x, alpha=1, delay=.015, na.rm=FALSE){
    #####
```

```

# spin3R: simple spin function to rotate a 3-dim cloud of points#
# pwolf 070831 #
# #
# arguments: #
# #
# x (nx3)-matrix of points #
# alpha arc of rotation #
# delay sleeping time between rotations #
# #
#####
if(ncol(x)!=3) { print("Error: data matrix must have 3 columns"); return() }
# require(tcltk) # 131104
<generiere Steuerungsfenster 4>
<definiere Rotationen 6>
<definiere Bindungen 5>
<initialisiere Plot 7>
<starte Endlosschleife 8>
<entferne Steuerungsfenster 9>
}

```

```

4 <generiere Steuerungsfenster 4> ≡ C 3
Rot <-tclVar("relax");bw <- 4
topl<-tktoplevel(); tkwm.geometry(topl,"+100+100")
f1 <- tkframe(topl);f2 <- tkframe(topl);f3 <- tkframe(topl)
f4 <- tkframe(topl);f5 <- tkframe(topl);tkpack(f1,f2,f3,f4,f5)

b12 <- tkbutton(f1, relief="ridge", width=bw, text="up")
b21 <- tkbutton(f2, relief="ridge", width=bw, text="left")
b22 <- tklabel(f2, relief="flat", width=bw)
b23 <- tkbutton(f2, relief="ridge", width=bw, text="right")
b32 <- tkbutton(f3, relief="ridge", width=bw, text="down")
b41 <- tkbutton(f4, relief="ridge", width=bw, text="clock")
b42 <- tklabel(f4, relief="flat", width=bw)
b43 <- tkbutton(f4, relief="ridge", width=bw, text="cclock")
b51 <- tkbutton(f5, relief="raised", width=bw, text="reset")
b52 <- tklabel(f5, relief="flat", width=bw)
b53 <- tkbutton(f5, relief="raised", width=bw, text="exit")
tkpack(b12,b32)
tkpack(b21,b22,b41,b42,b51,b52,side="left")
tkpack(b23,b43,b53,side="right")

```

```

5 <definiere Bindungen 5> ≡ C 3
for(type in c("12","21","23","32","41","43")){
  b<-eval(parse(text=paste("b",type,sep="")))
  tkbind(b, "<Enter>",
    eval(parse(text=paste("function() tclvalue(Rot)<-\"",type,"\",sep=""))))
  tkbind(b, "<Leave>",function() tclvalue(Rot) <- "relax")
}
tkconfigure(b51,command=function() tclvalue(Rot) <- "reset" )
tkconfigure(b53,command=function() tclvalue(Rot) <- "exit" )

```

Für die Rotation bezüglich zwei Achsen wird nur eine 2×2 -Rotationsmatrix benötigt.

```

6 <definiere Rotationen 6> ≡ C 3
alpha<-alpha/360*2*pi; ca<-cos(alpha); sa<-sin(alpha)
rot<-matrix(c(ca,-sa,sa,ca),2,2)

```

x hält die Daten, x.o die Originaldaten, xa die 2-dim Projektionen. Für die Anschaulichkeit wird ein

Andeutung der Achsen mitgeliefert: A beschreibt die Achsen, A.o die Originalachsen, Aa den darzustellenden Teil.

```
7 <initialisiere Plot 7> ≡ C 3
n <- nrow(x)
if(any(is.na(x))){
  if(na.rm){ x<-x[!apply(is.na(x),1,any),,drop=FALSE]
    print("Warning: NA elements have been removed!!")
  }else{
    xy.means<-colMeans(x,na.rm=TRUE)
    for(j in 1:ncol(x)) x[is.na(x[,j]),j]<-xy.means[j]
    print("Warning: NA elements have been exchanged by mean values!!")
  }
}
x <- x - matrix(apply(x,2,min),n,3,TRUE)
x.o<-x<-x / matrix(apply(x,2,max),n,3,TRUE) - 0.5; xa <- x[,2:3]
A.o<-A<-0.5*matrix(c(1,0,0, 0,0,0, 0,1,0, 0,0,0, 0,0,1),5,3,TRUE);Aa <- A[,2:3]
plot(xa, xlim=.7*c(-1,1), ylim=.7*c(-1,1),
      pch=20, xlab="",ylab="",xaxt="n",yaxt="n")
lines(Aa)
```

```
8 <starte Endlosschleife 8> ≡ C 3
i <- 0 # ; i.max<-100
cat("exit by button Exit\n")
if(delay < 0.015) delay <- 0.015
repeat{
  Sys.sleep(delay)
  choice <- tclvalue(Rot)
  if(choice=="exit"
      # || ((i<-i+1)>i.max)
      ){ break }
  if(choice=="relax") next
  if(choice=="reset") {
    points(xa, pch=20, col="white"); lines(Aa, col="white")
    x <- x.o; A <- A.o; xa<-x[,2:3]; Aa<-A[,2:3]
    points(xa, pch=20, col="black"); lines(Aa, col="black")
    tclvalue(Rot)<- "relax"; next
  }
  switch(choice,
    "12" = ind<-c(1,3), "21" = ind<-c(2,1), "23" = ind<-c(1,2),
    "32" = ind<-c(3,1), "41" = ind<-c(3,2), "43" = ind<-c(2,3)
  )
  x[,ind] <- x[,ind]*%rot; A[,ind] <- A[,ind]*%rot
  points(xa, pch=20, col="white"); lines(Aa, col="white")
  xa<-x[,2:3]; Aa<-A[,2:3]
  points(xa, pch=20, col="black"); lines(Aa, col="black")
}
```

```
9 <entferne Steuerungsfenster 9> ≡ C 3
tkdestroy(top1)
"control widget closed"
```

Testbeispiel:

```
10 <* 10> ≡
x<-matrix(sample(1:333),111,3)
spin3R(x)
```

```
11 <*10>+ ≡
# show planes of "randu" random number generator:
random.gkg<-function(n.max,m,a,r,x){
  res<-1:n.max
  for(i in 1:n.max){res[i] <- x <- (a*x+r) %% m }; res
}
# randu:
res<-random.gkg(1000, 2^31, 65539, 0, 100000)/2^31
# define cloud of points:
xyz<-cbind(res[-c(length(res),length(res)-1)],
           res[-c(1,length(res))],res[-c(1:2)])
spin3R(xyz)
```